



## Low Temperature Laboratory in Micronova

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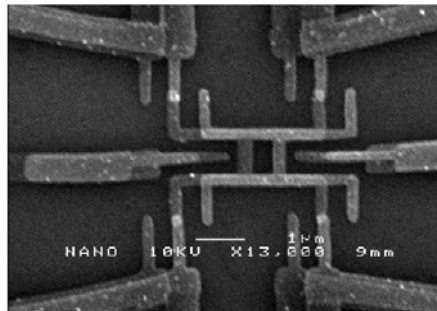
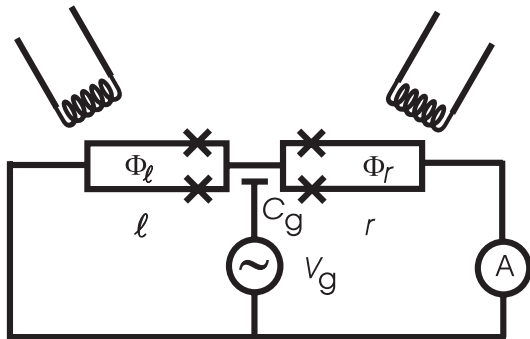
VTT Information Technology (H. Seppä, J. Ahopelto)



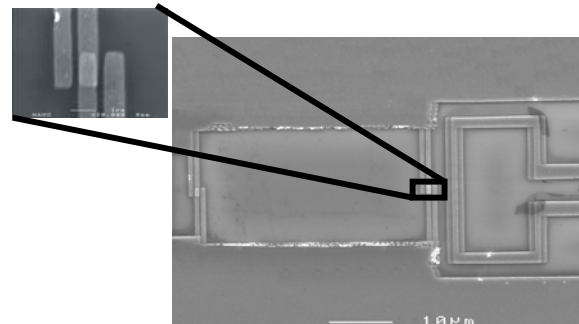
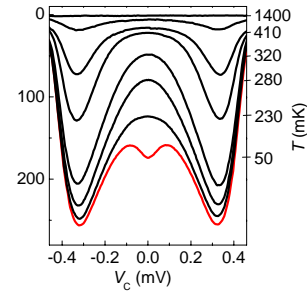
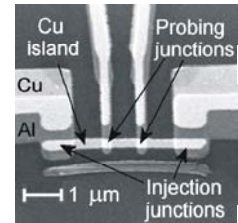
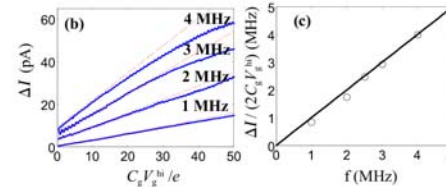
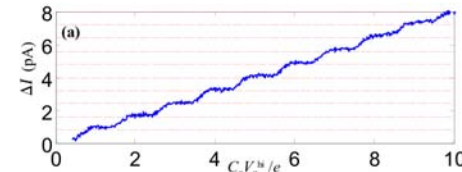
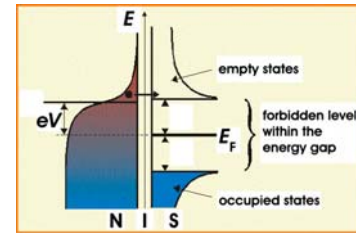
## Low Temperature Laboratory in Micronova

1. Electronic micro-refrigeration and cold electron Josephson transistor

2. **Single Cooper pair pumping**



3. Hysteretic DC-SQUIDS with low critical current as read-out devices in quantum circuits





## Charge and Flux Controlled Pumping of Cooper pairs

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*Low Temperature Laboratory, Helsinki University of  
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**Antti Niskanen, Heikki Seppä**

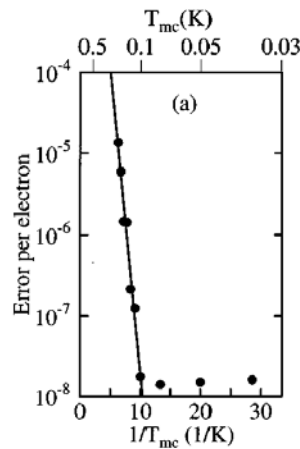
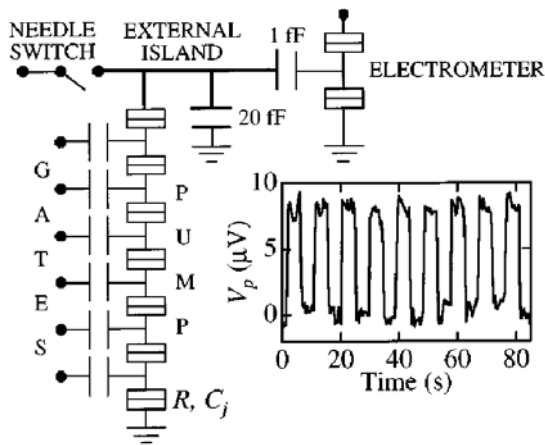
*VTT, Espoo, Finland*

1. Motivation
2. Principle of the device
3. Experiments

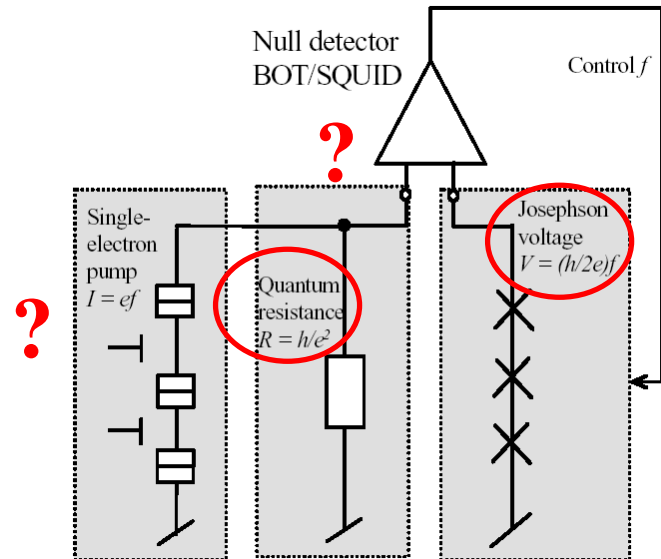


## Why to pump charges?

Towards current standard



”Quantum triangle”



Normal single-electron pump

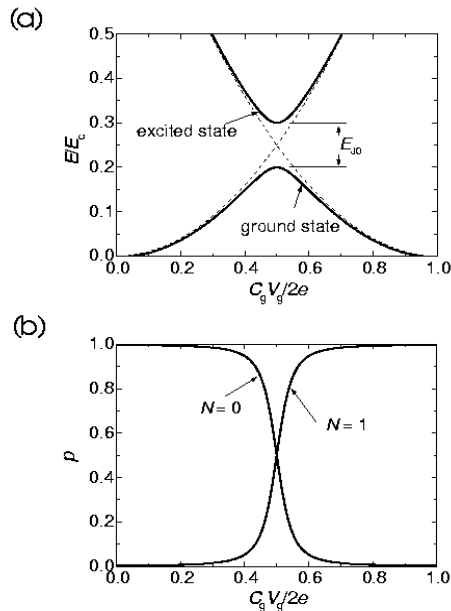
M. W. Keller, J. M. Martinis, N. M. Zimmerman, and A. H. Steinbach, Appl. Phys. Lett. **69**, 1804 (1996).

High accuracy but slow:  $I < 10$  pA



## Why to pump Cooper pairs?

Cooper pair pumps could possibly be faster than normal electron pumps



Charge transport adiabatic up to

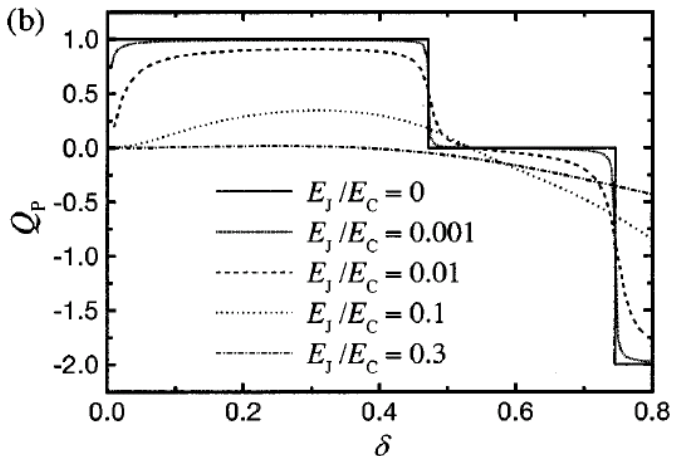
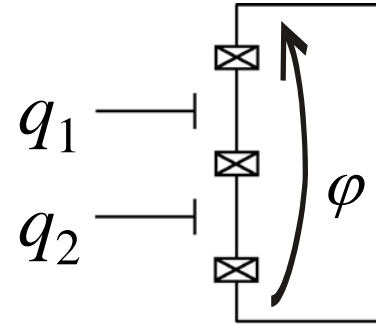
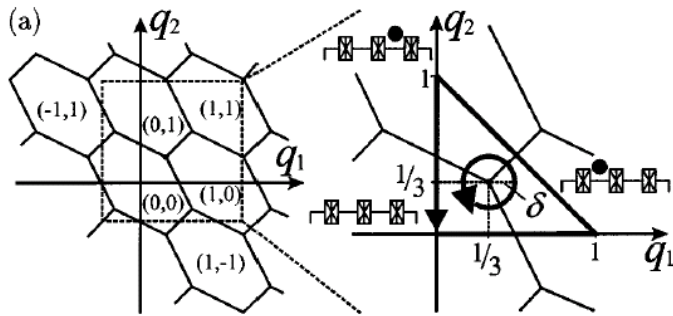
$$f_{LZ} \sim \frac{E_J^2}{\hbar E_C}$$

Interesting also in terms of quantum coherent effects in small Josephson junction circuits



## But: there are errors due to large $E_J$

Perfectly phase-biased adiabatic CPP



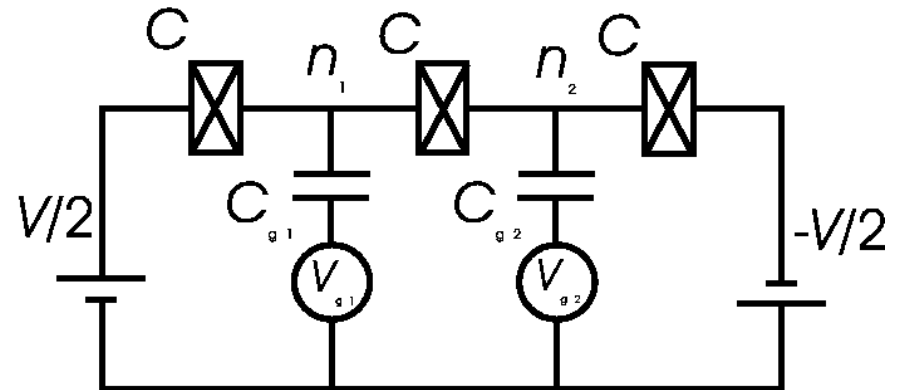
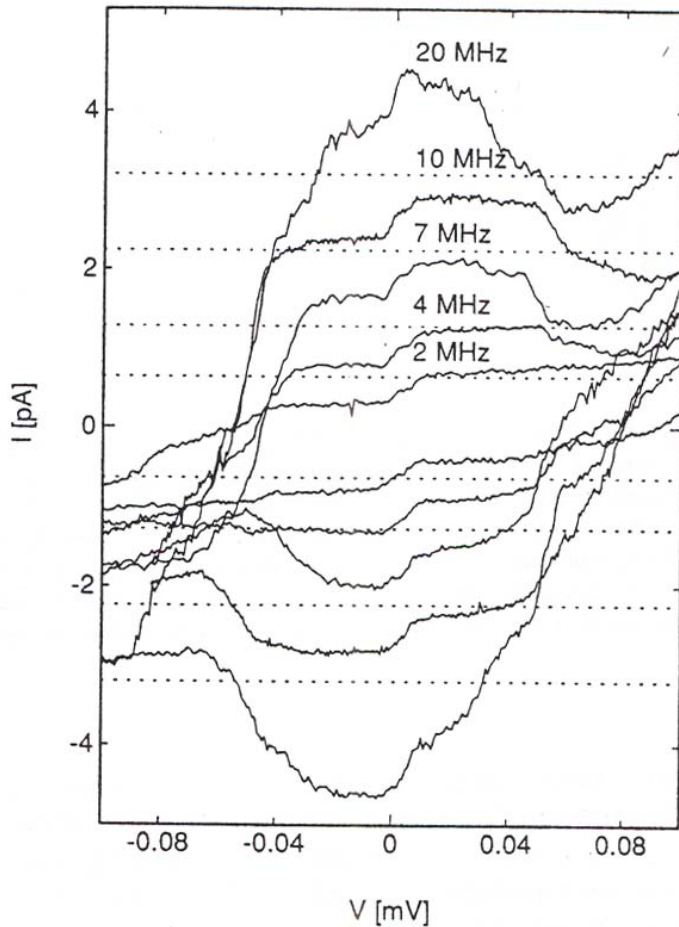
$$Q_P = 2\hbar \Im \left[ \sum_{n \neq m} \oint \frac{(\hat{I}_l)_{mn}}{E_m - E_n} \langle n | \partial_{\vec{q}} m \rangle \cdot d\vec{q} \right]$$

$$Q_P / (2e) \simeq 1 - 9E_J / E_C \cos \varphi$$

This adds to "normal"  
supercurrent  $I_S \propto E_J \sin \varphi$



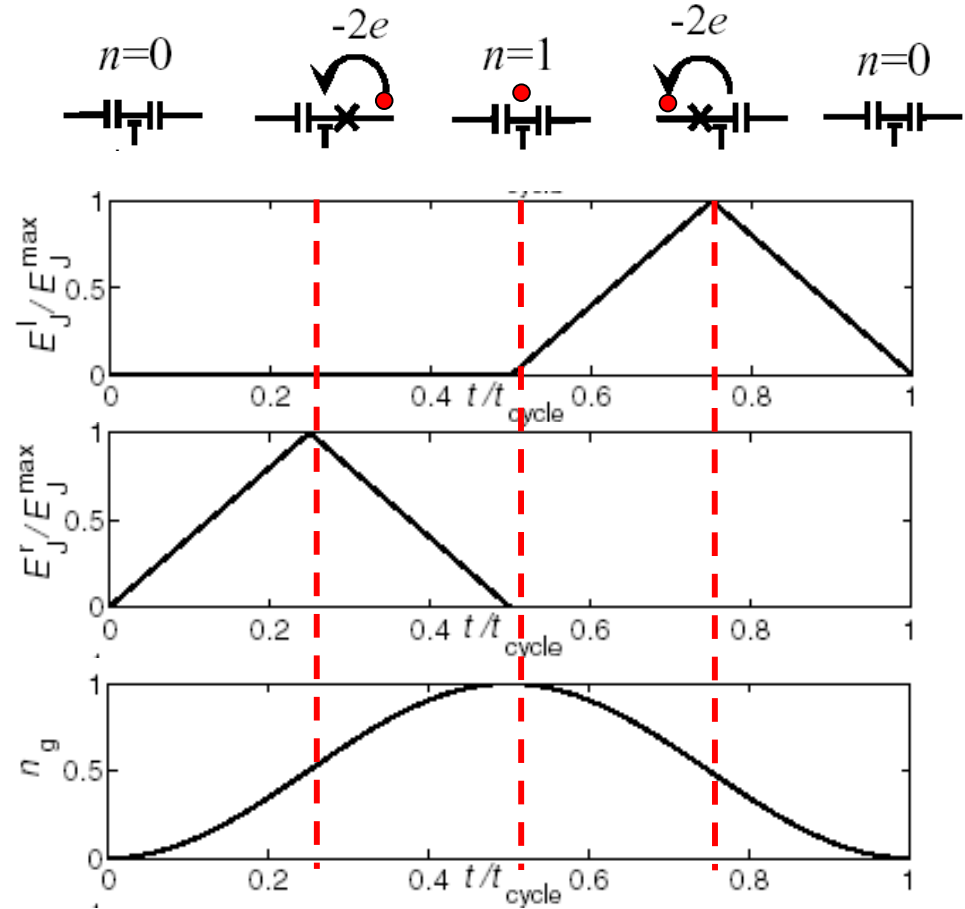
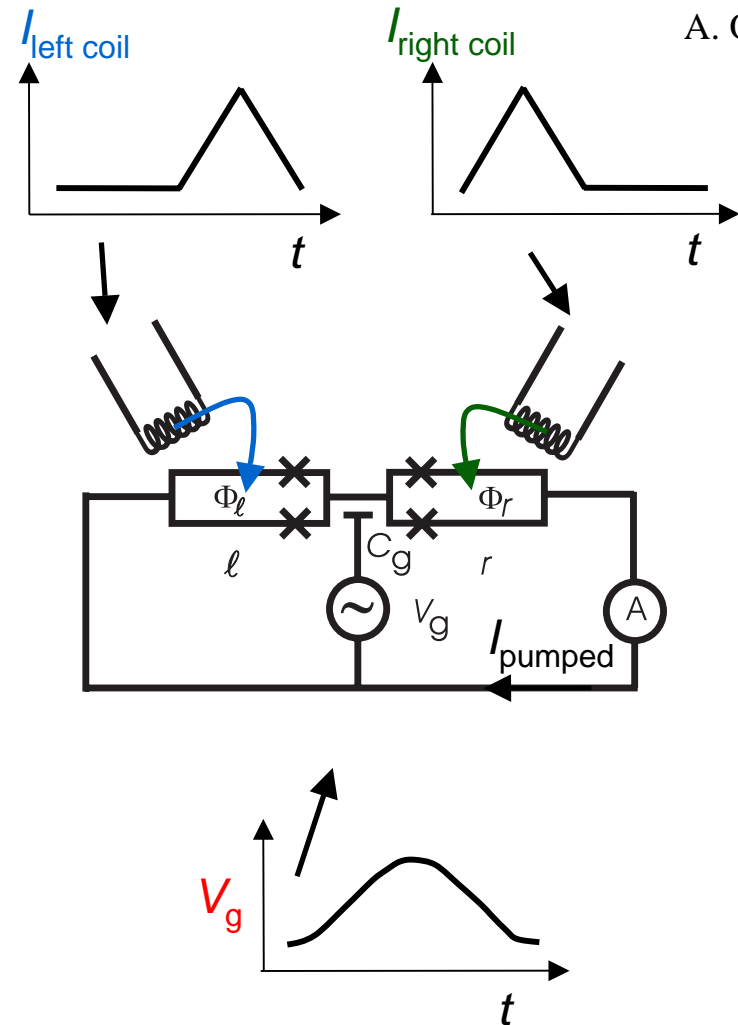
## The first three-junction CPP





## Flux assisted pump (sluice), principle:

A. O. Niskanen, J. P. Pekola, and H. Seppä, Phys. Rev. Lett. **91**, 177003 (2003).

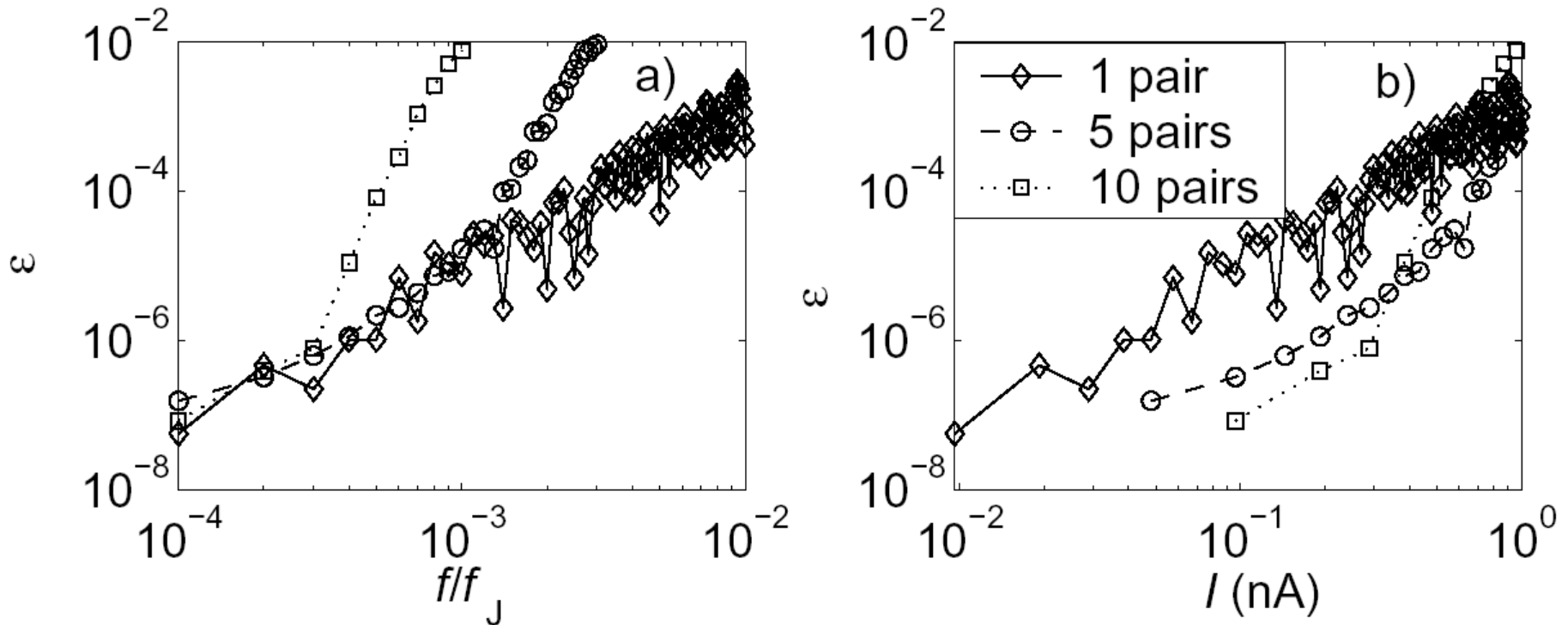


Can be generalized to pump  $2Ne$  per cycle. ( $N = 1, 2, \dots$ ?)





## Predicted accuracy of the (ideal) device

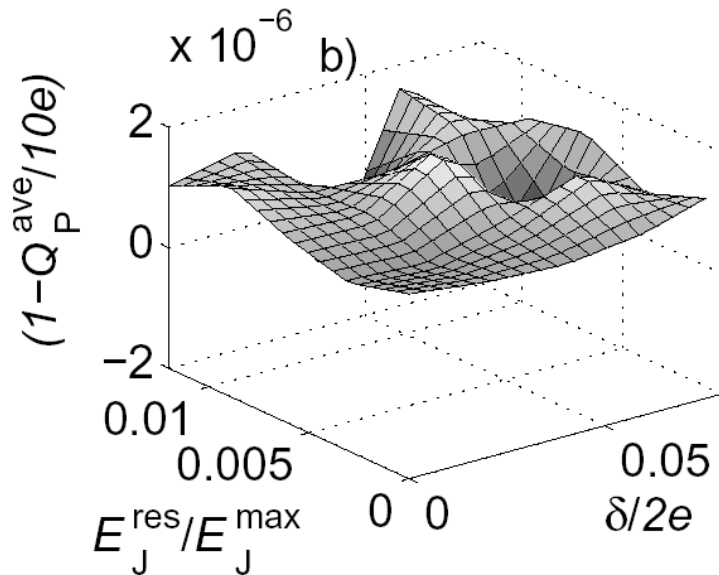
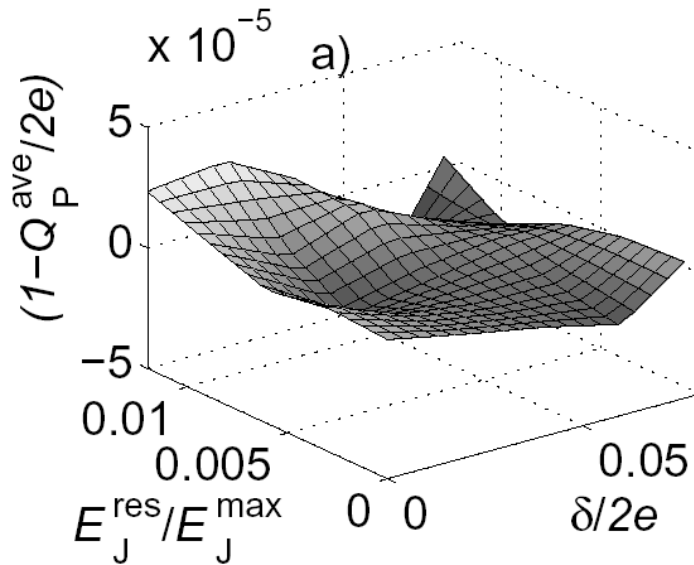


To study also the non-adiabaticity errors, we obtained these results by solving Schrödinger eq. and integrating in time, not by adiabatic approximation.



## Influence of residual Josephson coupling and offset charge

$$Q_P/(2e) \simeq 1 - \frac{2\sqrt{(E_J^{\max})^2 + E_C^2}}{E_J^{\max} E_C} E_J^{\text{res}} \cos \varphi$$



Phase noise may average part of the  $E_J^{\text{res}}$  -error out.

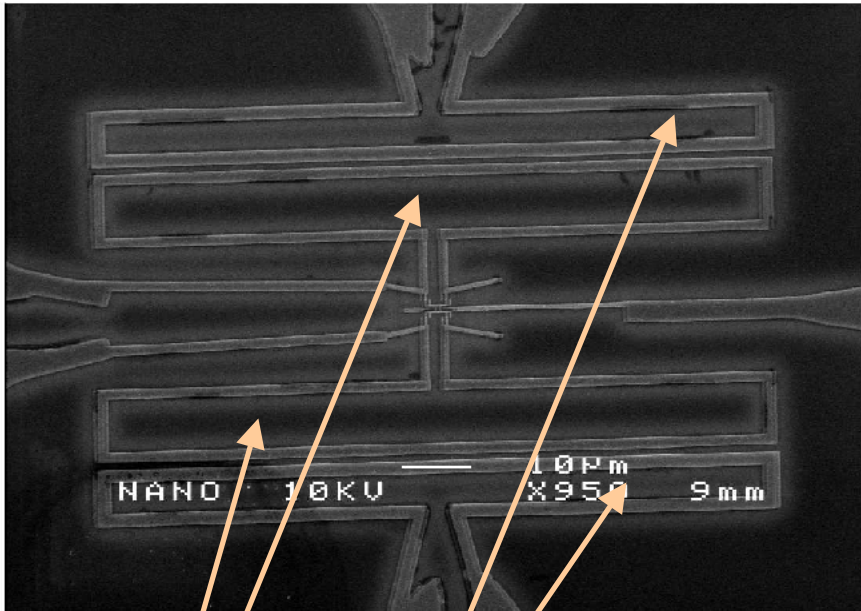


## Potential sources of error

1. non-adiabaticity
2. non-ideal suppression of  $E_J$
3. environmental impedance
4. background charge noise
5. quasiparticles

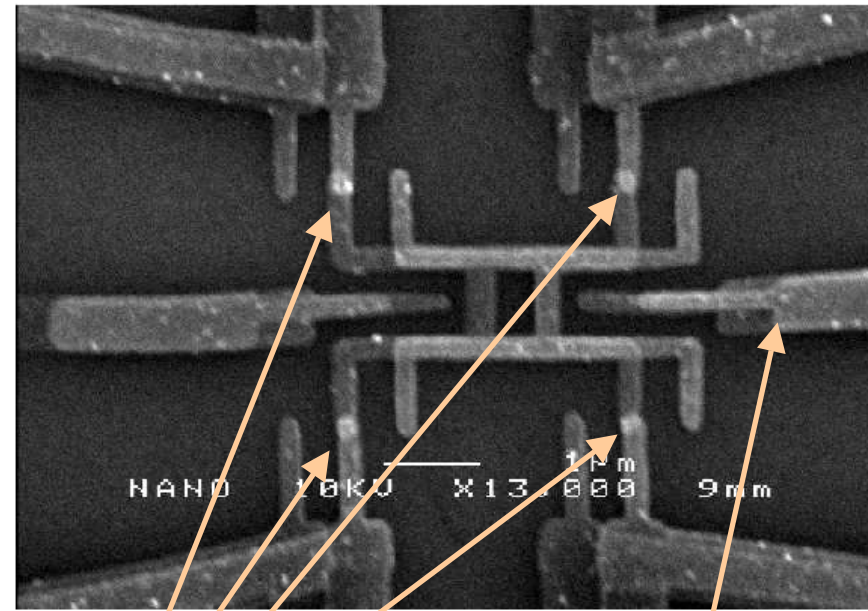


## The measured device



SQUID  
loops

Input coils

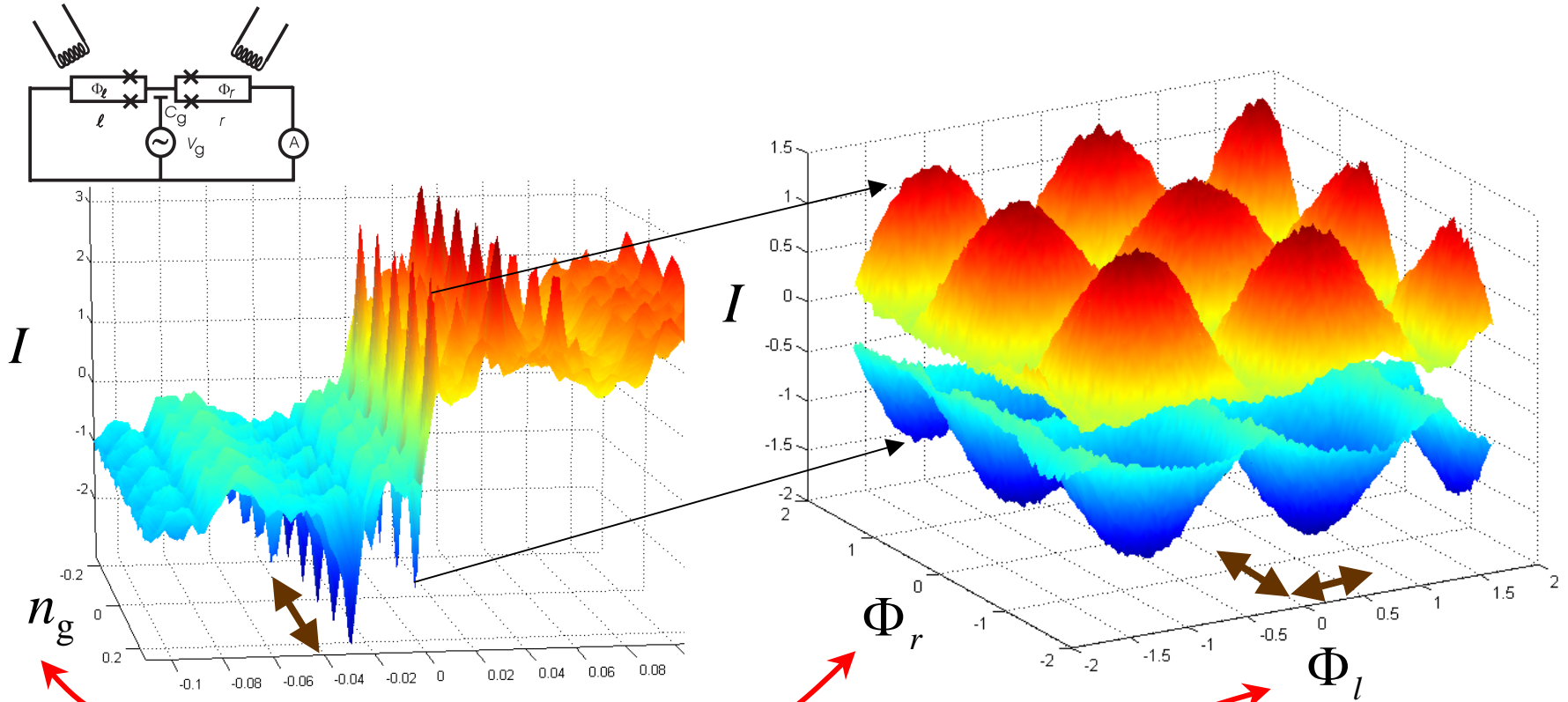


Junctions

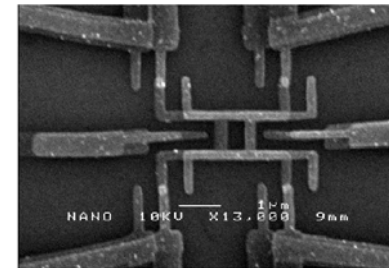
Gate line



## Experimental gate and flux modulation



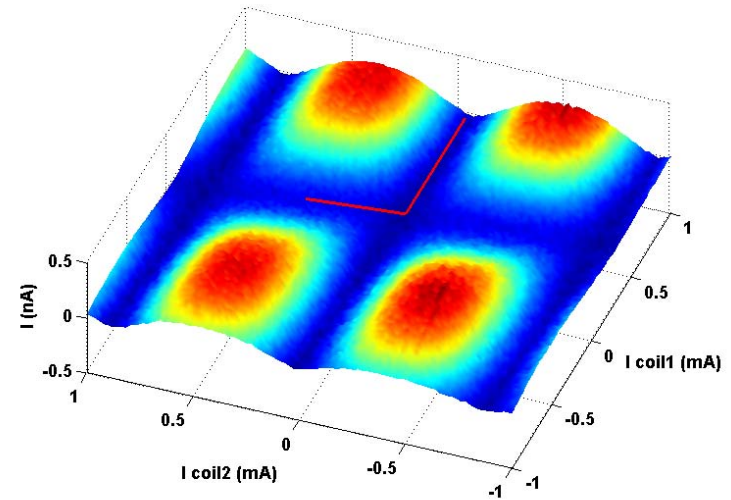
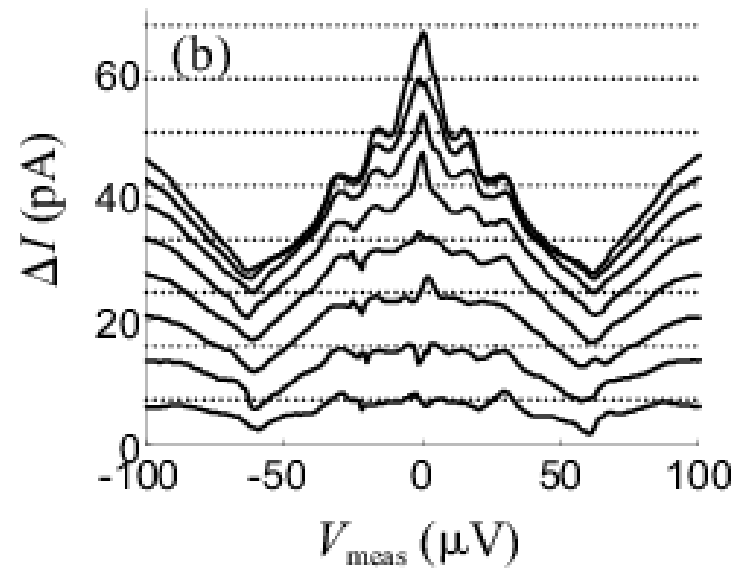
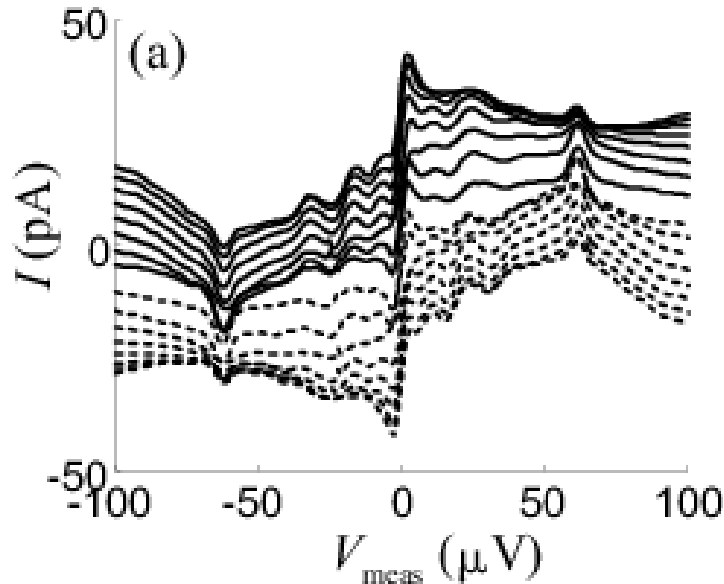
$$\hat{H} = \frac{2e^2}{2C_J + C_g} (\hat{n} - n_g)^2 - E_J^r \left( \pi \frac{\Phi_r}{\Phi_0} \right) \cos(\phi + \varphi/2) - E_J^l \left( \pi \frac{\Phi_l}{\Phi_0} \right) \cos(\varphi/2 - \phi). \quad (1)$$





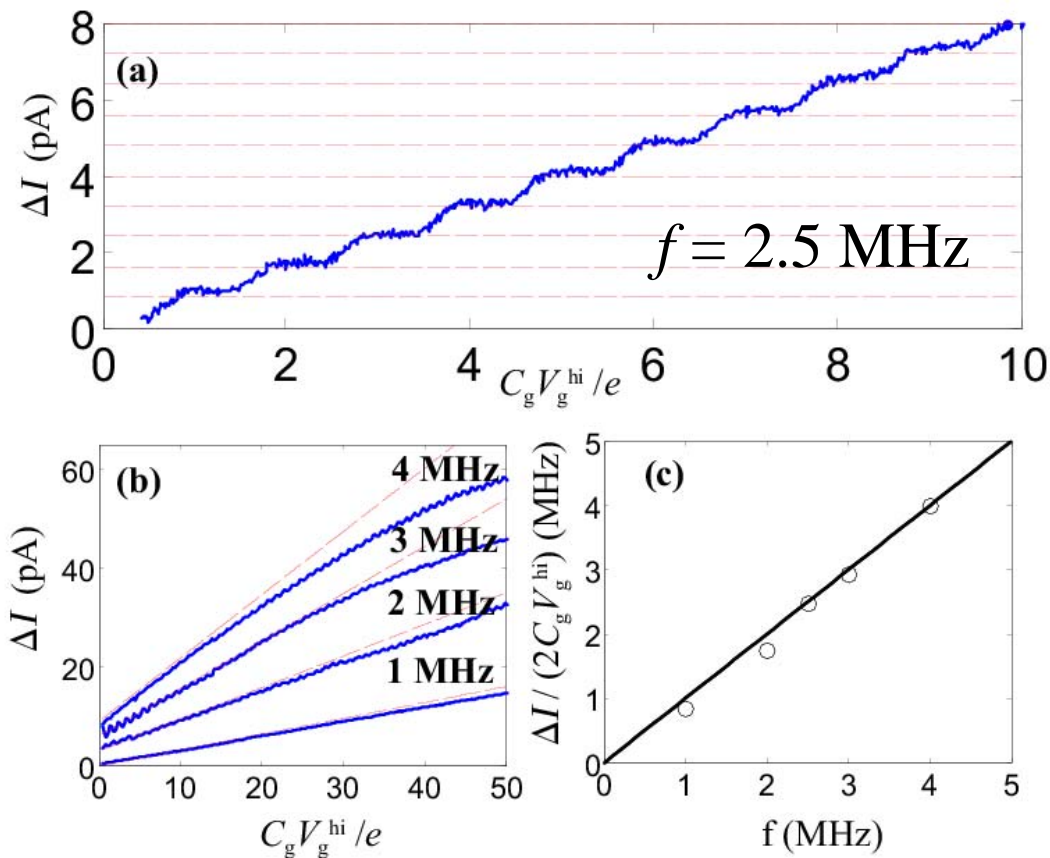
## General *IV* curves, pumping

3 MHz, 4...34 pairs / cycle pumped





## Quantitative comparison to $I = N2ef$



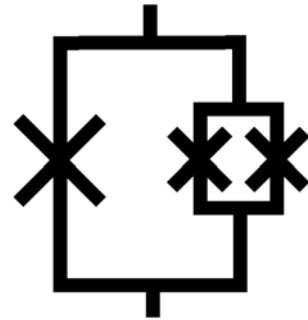
30 pairs per cycle at 4 MHz with accuracy of 1 % achieved



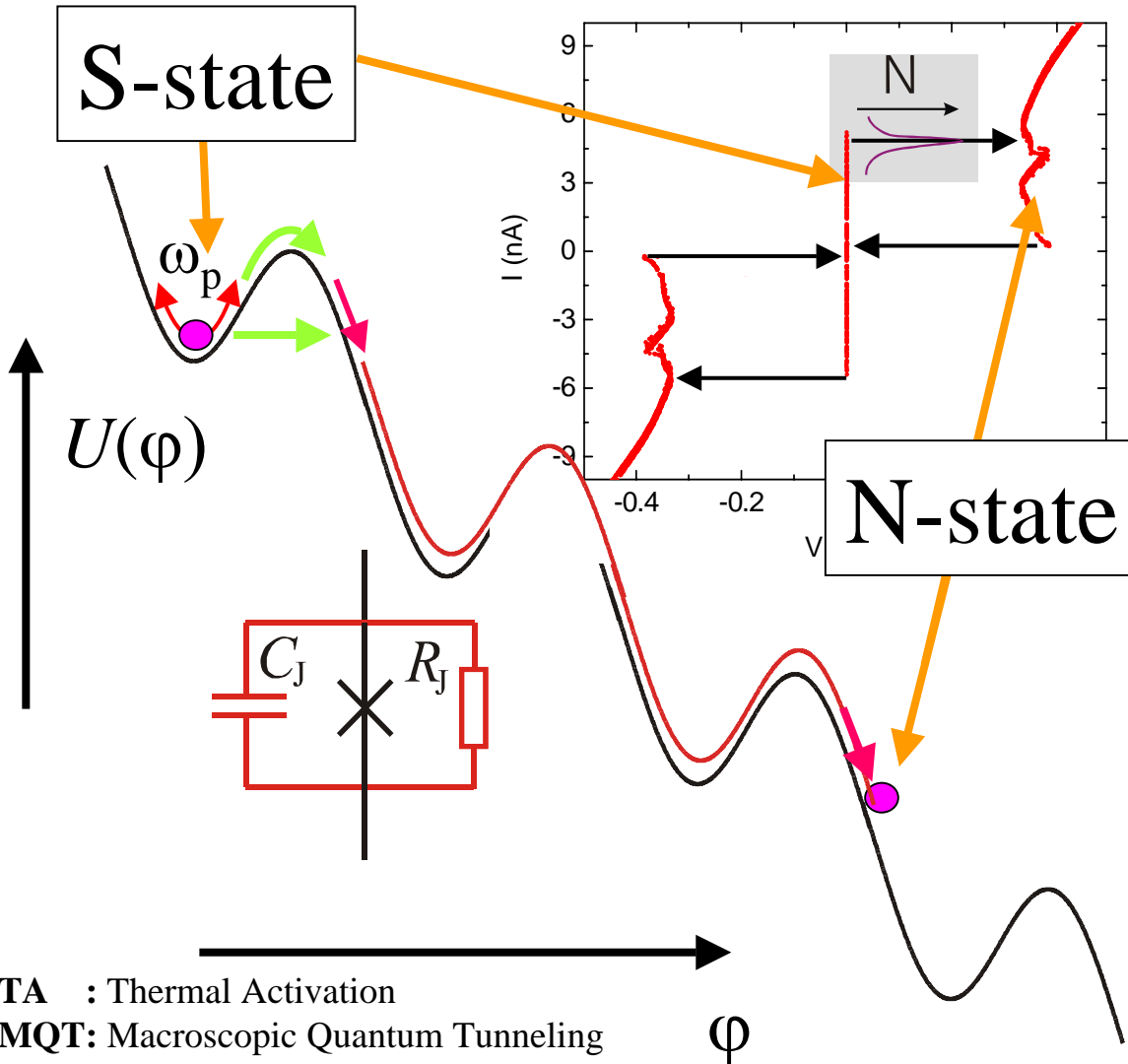


## Improvements in the future

1. Better temporal suppression of  $E_J$  by three-junction SQUID or SQUID array
2. Better designed environment to suppress supercurrent leakage (fixed voltage bias)
3. Get rid of quasiparticles (by gap engineering?)
4. Higher speed by
  - (a) increasing  $E_J$  (by lowering junction resistance or ultimately by using Nb junctions)
  - (b) pulse optimisation to avoid non-adiabaticity

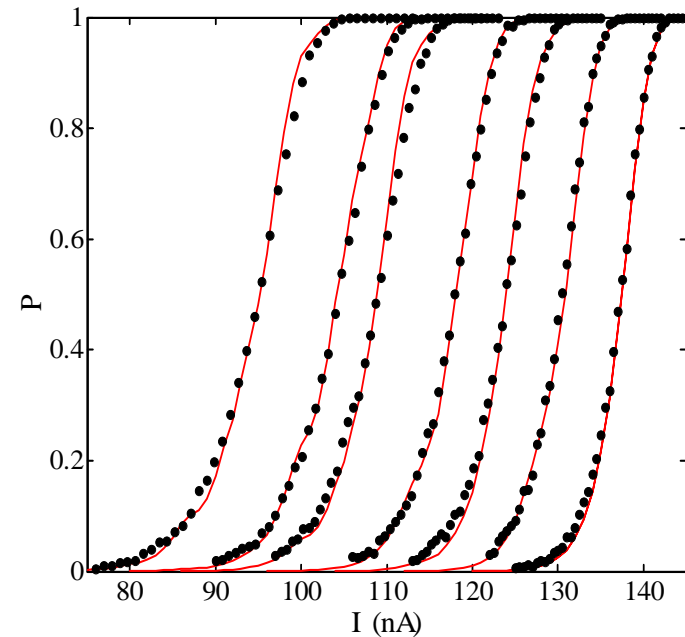






**Small hysteretic Josephson junctions and SQUIDS – switching dynamics**

$T=77, \dots, 210$  mK

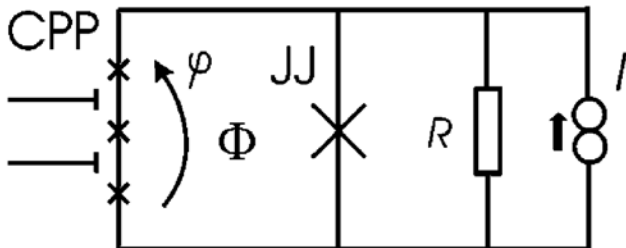
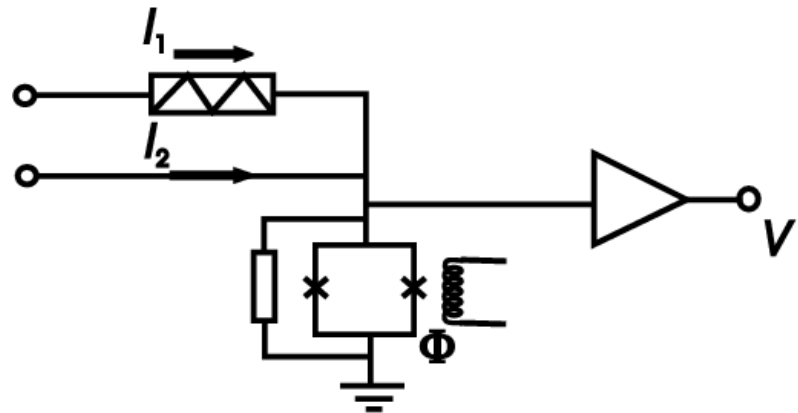
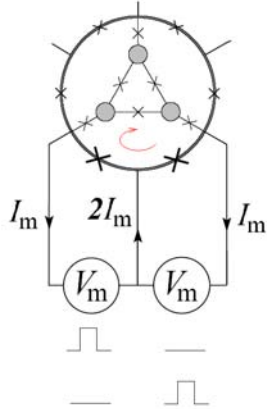




## DC SQUID or Josephson junction as an ammeter: applications

Qubits and coherent  
Cooper pair pumps –  
**avoid dissipation**

”Classical” measurements  
(e.g. noise and FCS) can  
tolerate some dissipation



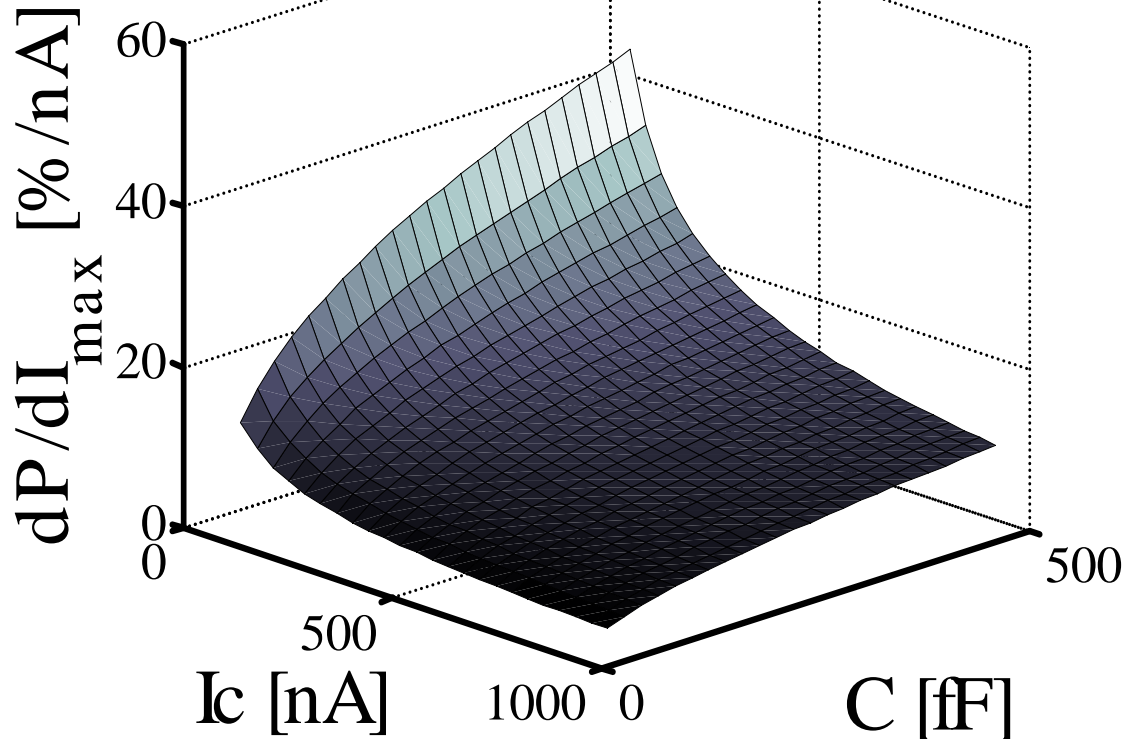


## Increasing sensitivity of Josephson junction ammeters/threshold detectors

MQT & TA  
T=20 mK

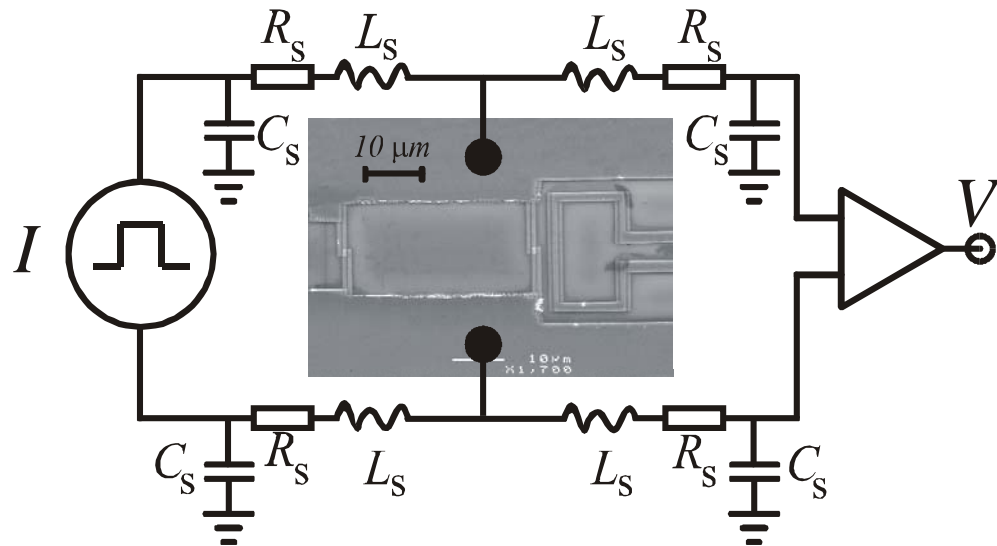
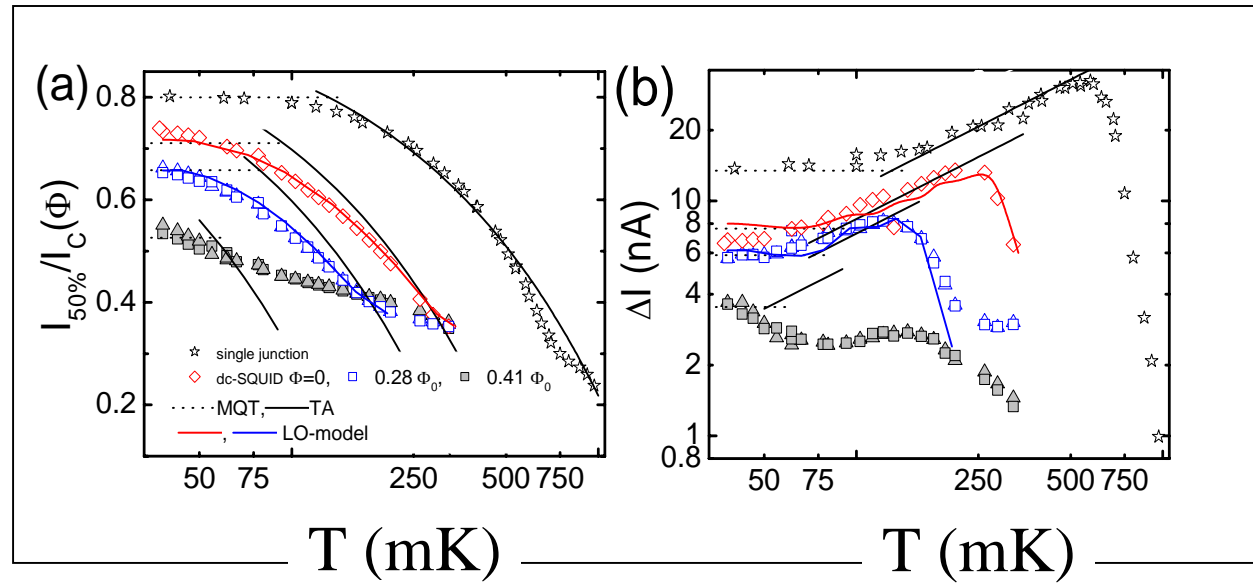
$$\Delta I \propto I_C^{3/5} / C^{2/5}$$

Best resolution when  
both  $E_J$  ( $I_C$ ) and  $E_C$   
( $1/C$ ) are small.  
But how far can we  
go?



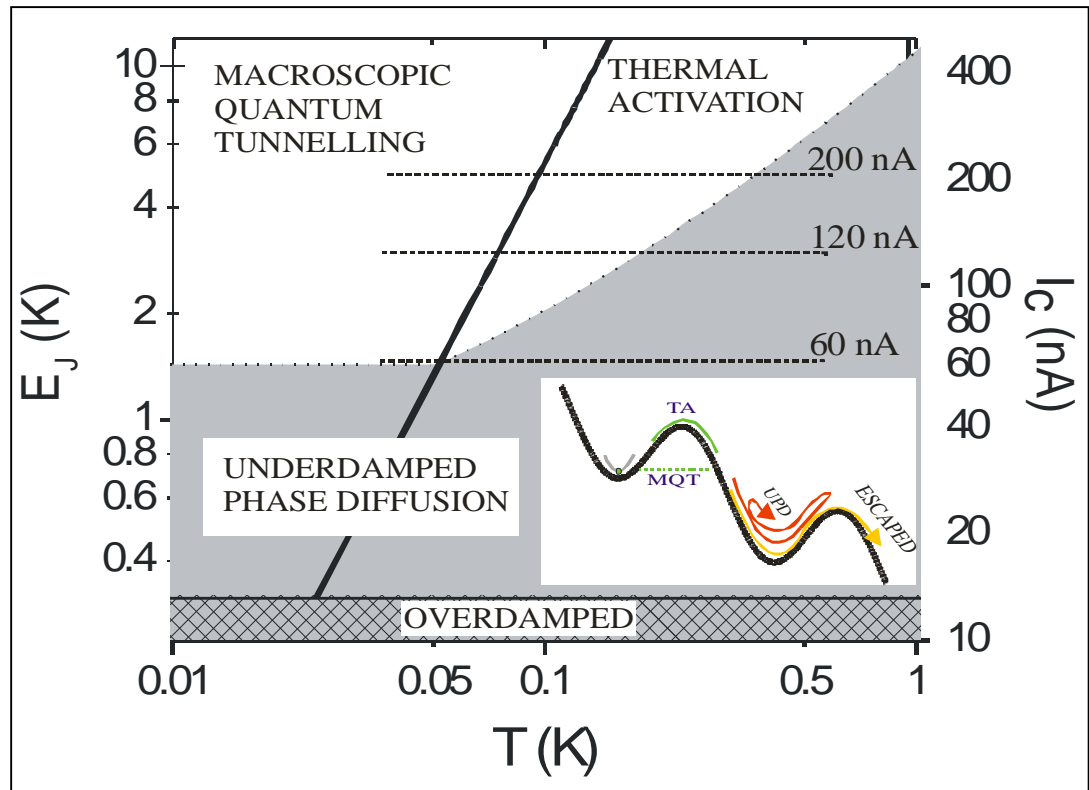


## RESULTS





## Phase diagram of small Josephson junctions and SQUIDs



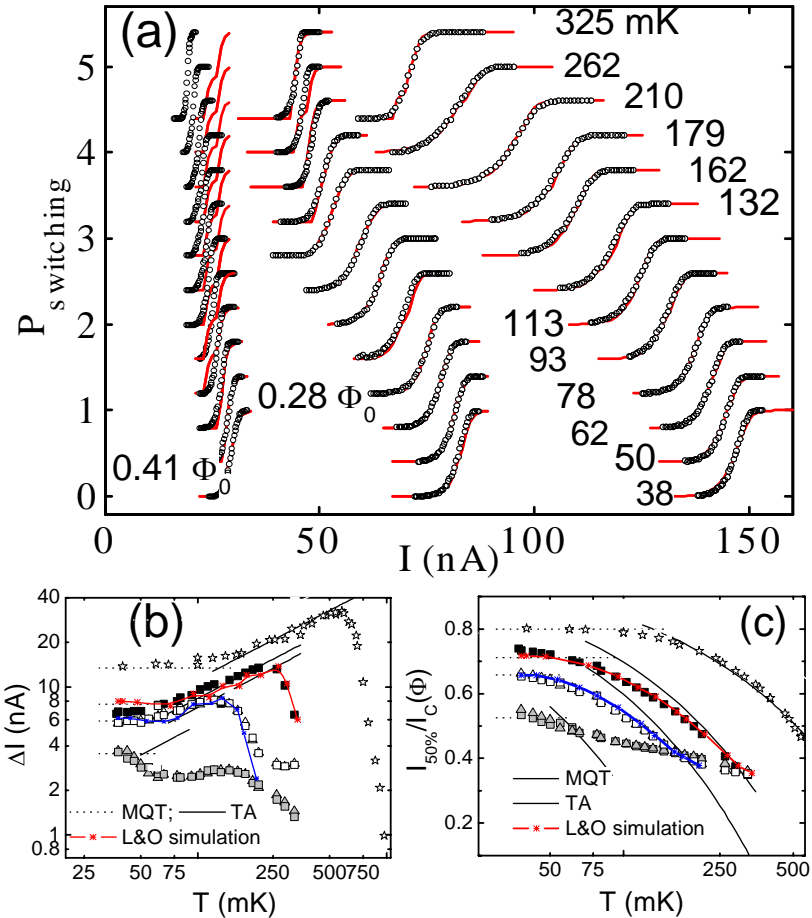
# MICRONOVA

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# THE END





## ENERGY LEVEL MODEL and DISSIPATION

